1. Given approximately 11% of the world's population has type B blood answer the following question:

The blood drive has a total of 150 donors. Assuming this is a typical number of donors for a school blood drive, what would be the mean and standard deviation of the number of donors who have Type B blood? (Show all work)

$$\mu = np$$
 $\mu = (150)(.11)$
 $G = \sqrt{npg}$
 $G = \sqrt{(150)(.11)(.89)}$
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- 2. If the probability of winning a game of chance at a carnival is 18% and you decide to play the game.
- a) What is the probability that you win 3 out of 10 games played?

binomial dist
Prob(x=3)
$$P(x=3) = .1745$$

b) What is the probability that you do not get your first win until the 7^{th} game?

geometric dist
$$P(x=7) = .0547$$
Prob (x=7)

c) What is the probability of you winning at least 2 games out of 8?

Binomial Dist (cumulative)

$$Prob(X \ge 2) = 1 - Prob(X < 2) = .4366$$

- 3. You have a bag with 10 number tiles in it and the tiles are numbered from 1 10. You are going to select a tile and then record the number, then put the tile back in the back and repeat the process.
- a) What is the probability that if you select 500 tiles you would get <u>less than</u> 220 odd numbered tiles? (Completive)

b) What is the probability that you do not get your first odd numbered tile before your 5^{th} selection?

Geometric Dist
$$P(X \ge 5) = 1 - P(X < 5) = .0625$$